## Year 5 \& 6 Fractions Evening

## Exploring fractions with chocolate!



How this kind of activity can aid an understanding of fractions

## Children's difficulties with fractions

Knowledge of fractions and division can predict a child's success in mathematics in later stages of their schooling. (Siegler et al. 2012)

Why children don't like or understand fractions

- Lack of Conceptual Understanding
- Not viewing fractions as numbers at all but as meaningless symbols
- Focusing on numerators and denominators as separate numbers rather than thinking of the fraction as a single number. This ignores the essential relationship between each fraction's numerator and its denominator.
- Confusing properties of fractions with those of whole numbers.
(There is no whole number between $5 \& 6$ so there is no number of any type between 5/7 \& 6/7)


## Pupils need to experience multiple forms of fractions to have a comprehensive conceptual understanding.

The importance of making explicit links between fractions in different contexts.

What is a fraction?

- 1. fractions as part of a whole
- 2. fractions as measures (mass, capacity, time)
- 3. fractions as a number (comparing it to 1, placing on a number line, ordering fractions)
- 4. fractions as ratios (three quarters of the class are girls)
- 5. fractions as operators ('3/4 of' can be thought of as the process of multiplying by $3 \&$ then dividing by 4 or dividing by 4 then multiplying by 3 )


## Prior Learning

- KS1

Recognise key fractions- $1 / 4,1 / 3,1 / 2,3 / 4$
Calculate fractions of amounts
Count up in fractions

- Years $3 \& 4$

Adding \& subtracting fractions with the same denominator
Ordering unit fractions
Fractions as numbers
Equivalent fractions
Decimal equivalence

## Year 5 \& 6 Objectives

- compare and order fractions whose denominators are all multiples of the same number
- identify, name and write equivalent fractions of a given fraction, represented visually, including tenths and hundredths
- recognise mixed numbers and improper fractions and convert from one form to the other and write mathematical statements $>1$ as a mixed number [for example, $\frac{2}{5}+\frac{4}{5}$ $=\frac{6}{5}=1 \frac{1}{5}$ ]
- add and subtract fractions with the same denominator and denominators that are multiples of the same number
- multiply proper fractions and mixed numbers by whole numbers, supported by materials and diagrams
- read and write decimal numbers as fractions [for example, $0.71=\frac{71}{100}$ ]
- recognise and use thousandths and relate them to tenths, hundredths and decimal equivalents
- use common factors to simplify fractions; use common multiples to express fractions in the same denomination
- compare and order fractions, including fractions > 1
- add and subtract fractions with different denominators and mixed numbers, using the concept of equivalent fractions
- multiply simple pairs of proper fractions, writing the answer in its simplest form [for example, $\frac{1}{4} \times \frac{1}{2}=\frac{1}{8}$ ]
- divide proper fractions by whole numbers [for example, $\frac{1}{3} \div 2=\frac{1}{6}$ ]
- associate a fraction with division and calculate decimal fraction equivalents [for example, 0.375 ] for a simple fraction [for example, $\frac{3}{8}$ ]


## Resources to aid understanding

- The CPA approach
- How can tell which fraction is bigger?
- How can we add fractions with a common denominator?

Misconception 1: When adding (or subtracting) fractions pupils add (or subtract) both the numerators and the denominators.
e.g. $\frac{5}{7}+\frac{1}{7}=\frac{6}{14}$ or $\frac{5}{7}-\frac{1}{7}=\frac{4}{0}$

Pupils do not recognise that the denominator indicates the number of 'parts' of the same whole and therefore treat the two fractions as 4 'whole numbers' to be added together.

Before performing addition and subtraction of fractions, pupils should experience describing part/ whole relationships verbally and in written form, in the same way that they would describe whole number trios.

e.g. The yellow and purple shaded parts in the shape below represent $\frac{2}{5}+\frac{3}{5}=\frac{5}{5}$ or 1 ; or the yellow parts are represented by 1 $-\frac{3}{5}$;

or the yellow and purple shaded parts in the shape below represent $\frac{2}{5}+\frac{2}{5}=\frac{4}{5}$

## Comparing, adding $\&$ subtracting with a common denominator

- Understanding of times tables \& multiples


## Multiplying fractions

- A simple method
- $x$ or 'of'
- Array to represent the problem




My array has 12 parts.
6 of these are cross-hatched $\frac{6}{12}=\frac{1}{2}$

## Dividing fractions

- Sharing the given value
- $2 / 3 \div 2$
- $2 / 3 \div 4$
- The famous chicken restaurant


## Reasoning $\mathbb{\&}$ problem solving activities

Odd one out


Challenge: think of a reason for each shape.


What fraction of the square is blue?
The red spot is in the middle of the square.

## Different Ways

Ways to calculate $\frac{3}{4}+\frac{5}{8}$


$$
\text { Split } \frac{5}{8} \text { into } \frac{\square}{8} \text { and } \frac{\square}{8}
$$

My sister ate $1 / 4$ of my chocolate bar. My brother had $1 / 3$ of what was left. How much did this leave me?


On Friday, Florence read $\frac{3}{10}$ of her book.
On Saturday she read another $\frac{1}{5}$ of her book.
On Sunday she read another 90 pages and finished the book.

How many pages were in Florence's book?

## End of KS2 assessment questions

This is a diagram of a vegetable garden.
It shows the fractions of the garden planted with potatoes and cabbages.


## Not to scale

Lara had some money.
She spent $£ 1.25$ on a drink.
She spent $£ 1.60$ on a sandwich.
She has three-quarters of her money left.

How much money did Lara have to start with?
The remaining area is planted with carrots
What fraction of the garden is planted with carrots?

## Supporting your child with fractions

- Videos on Seesaw
- Mymaths

